

1. 117° SEW **BI**
 243 SEW OR -117 SEW **BI**
 92° OR 218° SEW **BI**
 $46^\circ, 226^\circ, 109^\circ, 289^\circ$ **43**

2. SHOWS OR INPUTS A GAP OF 0.4 **BI**
 SHOWS 1, 1.0756, 1.1802, 1.3015, 1.4340, 1.5748
 (AT LEAST 2 d.p)

$$\frac{0.4}{2} \left[1 + 1.5748 + 2(1.0756 + 1.1802 + 1.3015 + 1.4340) \right]$$

a.w.r.t 2.5 **AI**

MI CORRECT STEPS
MI ALL CORRECT (+)

3. a) $|OA|$ OR $|OB| = 10$ **BI**
 $|AB| = \sqrt{8}$ **BI**
 $\sqrt{8}^2 = 10^2 + 10^2 - 2 \times 10 \times 10 \cos \theta$
OR SIMILAR **MI**
 $\cos \theta = 0.96$ O.E
AND SHOWS 0.2838° **AI**

ALTERNATIVE

$\tan \phi = \frac{6}{8}$ **MI**
 SIGHT OF $0.6435 \dots$ **AI**
 $\frac{\pi}{2} - 2 \times 0.6435 \dots$ **MI**
 SIGHT OF 0.2838° **AI** \uparrow det

- b) $|OA|$ OR $|OB| = 10$ (MAY APPEAR IN (a)) **BI** ← THIS MARK CAN BE
 GRANTED TWICE ONLY
 IF ALL 4 MARKS HAVE
 BEEN GRANTED IN PART
 (a) USING THE COSINE
 RULE METHOD
- $\frac{1}{2} \times 10^2 \times 0.2838^\circ$ **MI**
 a.w.r.t 14.2 **AI**

4. a) $\log_a 4 + \log_a 25$ B1
 $2 \log 5$ B1
 $p + 2p$ A1

dep on at least out of these marks

b) $\log_a 2 - \log_a 5$ B1
 $\log_a 4^{\frac{1}{2}}$ or $2 \times \frac{1}{2} \log 4$ B1
 $\frac{1}{2}p - q$ A1

dep on at least out of these marks

5. $\binom{5}{0} \binom{2}{2}^5 (kx)^0 + \binom{5}{1} \binom{2}{2}^4 (kx)^1 + \binom{5}{2} \binom{2}{2}^3 (kx)^2$ B3
 or 2^5 or $\frac{5}{1} \times 2^4 \times kx$ or $\frac{5 \times 4}{2!} \times 2^3 \times kx^2$ ← or SIMILAR

$32 + 80kx + 80k^2x^2$ A1 (All correct)

SIGHT OF -160 OR DECISION ATTEMPT TO MULTIPLY OUT B1

" $80k^2 - 160k = 240$ "
 $k^2 - 2k - 3 = 0$ OR M1

$(k-3)(k+1)$ A1

$k = 3, -1$ A1 both

6.

$$a) (x-6)^2 + (y-3)^2 = 36 \quad A3$$

b) ATTEMPT TO FIND $|PQ|$ M1

SIGHT OF $\sqrt{85}$ A1

USES PYTHAGORAS, " $6^2 + |QR|^2 = 85$ " M1

$$|QR| = 7 \quad A1$$

Allow 4 marks if 7 is started with correct justification
 that $(2,10)$ is DIRECTLY ABOVE $(2,3)$

$$7. a) \frac{y}{\frac{4}{5}} = \frac{x}{\frac{8}{17}} \quad M1$$

ELIMINATE DENOMINATORS

$$e.g. \frac{8}{17}y = \frac{4}{5}x \quad \text{OR} \quad \frac{5y}{4} = \frac{17x}{8} \quad M1$$

ELIMINATE DENOMINATORS AGAIN

$$e.g. 8y = \frac{68x}{5} \quad \text{OR} \quad 40y = 68x \quad M1$$

$$\text{slpw } y = 1.7 \quad A1 \quad \swarrow \text{dtp}$$

$$b) \frac{1}{2}xy \times \frac{84}{85} = 21 \quad M1$$

$$xy = 42.5 \quad \text{o.e.} \quad M1$$

$$x(1.7x) = 42.5 \quad M1$$

$$x = 5 \quad A1$$

$$y = 8.5 \quad A1 \quad \text{ft}$$

8. a) I) SIGHT OF $r=3$ MUST MENTION $r=3$
OR
COMMON RATIO = 3

$$3^{n-1}$$

II) $\frac{1(1-3^n)}{1-3}$ M2 ONE FOR SUMMATION OF G.P
ONE FOR ALL CORRECT

SIMPLIFIES TO $\frac{1}{2}(3^n-1)$ OR $-\frac{1}{2}(1-3^n)$ A1
OR $\frac{3^n-1}{2}$
OR SIMILAR

4) $\frac{1}{2}(3^n-1) = 1093$ M1
SIGHT OF 7 M1
729 FLOWERS A1

9) SIGHT OF 2187 B1
INPUTS $n=8$ A1
3280 A1

9. a) $(-3)^3 + (-3)^2 - (-3) + 15$ or $-27 + 9 + 3 + 15$ M1
 thus zero + conclusion A1

b) $3x^2 + 2x - 1$ M1
 solves "there $f(x) = 0$ " B1
 $(3x-1)(x+1)$ A1

$(-1, 16)$ A1

$(\frac{1}{3}, \frac{400}{27})$ A1

c) INDICATE CURVE CROSSES AT $x = -3$ B1

$\frac{1}{2} \times 1 \times 16 = 8$ B1

$\int_{-3}^{-1} x^3 + x^2 - x + 15 dx$ M1 M1 (ONE MARK FOR UNITS)

$\frac{1}{4}x^4 + \frac{1}{3}x^3 - \frac{1}{2}x^2 + 15x$ M1

$(-\frac{187}{12}) - (-\frac{153}{4})$ OR EVIDENCE OF METHOD M1

$\frac{68}{3}$ A1

"8 + $\frac{68}{3}$ " OR $\frac{92}{3}$ A1

OR $30\frac{2}{3}$